

Thermal Energy

$$E_h = m t c \quad \text{where "c" is specific heat capacity}$$

m = mass in kg

t = temperature

E_h = Heat Energy in Joules

$$J = \text{kg} \cdot \text{C} \cdot \boxed{\frac{J}{\text{kg} \cdot \text{C}}}$$

Calculate the amount of energy in a 525 g cup of water @ temp of 15°C if the specific heat capacity of water is $4.18 \times 10^3 \frac{J}{\text{kg} \cdot \text{C}}$

$$\begin{aligned} E_h &= m t c \\ &= (0.525 \text{ kg}) (15^\circ\text{C}) (4.18 \times 10^3 \frac{J}{\text{kg} \cdot \text{C}}) \\ &= \underline{\underline{3.3 \times 10^4 \text{ J}}} \end{aligned}$$

If I increased the temp to 75°C how much more energy is required

$$\begin{aligned} \Delta E_h &= m \Delta t c \\ &= m (t_f - t_i) c \end{aligned}$$

This calculates how much more energy = $(0.525 \text{ kg}) (60^\circ\text{C}) (4.18 \times 10^3 \frac{J}{\text{kg} \cdot \text{C}})$

$$E_{hf} = 1.32 \times 10^5 \text{ J}$$

materials with different temperatures

Combining 2 materials with different temperatures

a cup of water with mass 475g and temp 15°C is added to 325g of hot water at a temperature of 80°C what is the combined temperature when they are mixed

$$\Delta E_{CW} + \Delta E_{HW} = 0$$

$$m \Delta t c + m \Delta t c = 0$$

$$(.475\text{kg})(t_f - 15^\circ\text{C})(4.18 \times 10^3 \frac{\text{J}}{\text{kg}^\circ\text{C}}) + (.325\text{kg})(t_f - 80^\circ\text{C})(4.18 \times 10^3) = 0$$

$$.475\text{kg}(t_f - 15^\circ\text{C})(4.18 \times 10^3 \frac{\text{J}}{\text{kg}^\circ\text{C}}) = - (.325\text{kg})(t_f - 80^\circ\text{C})(4.18 \times 10^3 \frac{\text{J}}{\text{kg}^\circ\text{C}})$$

$$.475\text{kg} t_f - 7.125\text{kg}^\circ\text{C} - .325\text{kg} t_f + 26.0\text{kg}^\circ\text{C}$$

$$.475\text{kg} t_f + .325\text{kg} t_f = 26\text{kg}^\circ\text{C} + 7.125\text{kg}^\circ\text{C}$$

$$t_f \frac{(.475\text{kg} + .325\text{kg})}{.475\text{kg} + .325\text{kg}} = \frac{33.125\text{kg}^\circ\text{C}}{.475\text{kg} + .325\text{kg}}$$

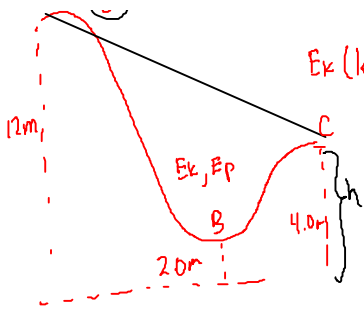
$$t_f = 41.4^\circ$$

pg 217-221 1-9 odd

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A $\left(\begin{smallmatrix} EK \\ n \end{smallmatrix} \right) E_{p, \text{max}}$

$$\Delta E_p + \Delta E_k + \Delta E_t = 0$$

↑
0



E_k (less) E_p more

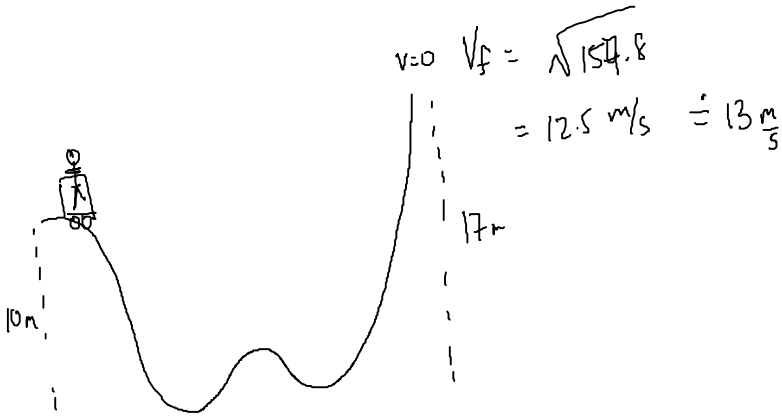
$$E_{Pf} - E_{Pi} + E_{kf} - E_{ki} = 0$$

$$\frac{mgh_f}{m} - \frac{mgh_i}{m} + \frac{\frac{1}{2}mv_f^2}{m} - \frac{\frac{1}{2}mv_i^2}{m} = 0$$

$$(9.8 \frac{m}{s^2})(4m) - (9.8)(12) + \frac{1}{2}v_f^2 = 0$$

$$39.2 \frac{m^2}{s^2} - 117.6 \frac{m^2}{s^2} + \frac{1}{2}v_f^2 = 0$$

$$2 \left(\frac{1}{2}v_f^2 \right) = \left(78.4 \frac{m^2}{s^2} \right) 2$$



$$v = 0 \quad v_f = \sqrt{157.6}$$

$$= 12.5 \text{ m/s} \approx 13 \frac{m}{s}$$

Determine what initial velocity is required to reach the top of the roller coaster assume frictionless

$$\Delta E_k + \Delta E_p = 0$$

$$E_{kf} - E_{ki} + E_{pf} - E_{pi} = 0$$

$$0 - \frac{1}{2}mv_i^2 + \frac{mgh_f}{m} - \frac{mgh_i}{m} = 0$$

$$v = 11.7 \text{ m/s}$$

if it is no longer frictionless, heat generated by the wheels is 75 J determine initial velocity. mass of the car is 150 kg

$$\Delta E_p + \Delta E_k + \Delta E_T = 0$$

$$mgh_f - mgh_i + \frac{1}{2}mv_f^2 - \frac{1}{2}mv_i^2 + \overbrace{E_{Tf} - E_{Ti}}^{\Delta h} = 0$$

$$(150 \text{ kg})(9.8)(17 - 10) + 0 - \frac{1}{2}(150)v_i^2 + 75 = 0$$

$$v_i = \underline{11.8 \text{ m/s}}$$

last lesson we did on the white board

today we will cover power and efficiency

Def'n Power = the rate of doing work, Recall def'n of work is the amount of applied force \times distance, this is a scalar, the unit is Joule "J"

Power = work per unit of time

$$\text{"P" uppercase} = \frac{\text{work}}{\text{time}} = \frac{F \cdot d}{\text{time}} = \frac{\text{Energy}}{\text{time}}$$

SI unit for power is Watts "W" upper case w

ex) an electric motor lifts an elevator that weighs $1.20 \times 10^4 \text{ N}$ a distance of 9.00 m in 15.0 s , what is the power output of the motor?

$$A) P = \frac{F \cdot d}{t} = \frac{1.20 \times 10^4 \text{ N} \cdot 9.00 \text{ m}}{15.0 \text{ s}} = 7.20 \times 10^3 \text{ W}$$



Note | $1 \text{ kW} = 1000 \text{ watts}$

$$\therefore 7.2 \text{ kW}$$

ex) a box of mass 25 kg is lifted a distance of 20.0 m by a rope ^{by constant velocity}. This is done in 10.0 s what is the power output of the person lifting this box

$$A = P = \frac{F \cdot d}{t} = \frac{(25 \text{ kg})(9.8 \frac{\text{m}}{\text{s}^2}) \cdot (20.0 \text{ m})}{10.0 \text{ s}} = 490 \text{ W}$$

Recall $P = F \cdot \frac{d}{t}$ or $P = F \cdot \bar{v}$ where \bar{v} is average velocity

ex) an electric motor lifts an elevator of weight 15000 N. If the power output of the motor is 4 kW, calculate the average speed of the elevator

$$A) P = \frac{W}{t} = F \cdot \bar{v}$$

$$\bar{v} = \frac{P}{F} = \frac{4000}{15000} = 0.26 \frac{m}{s}$$

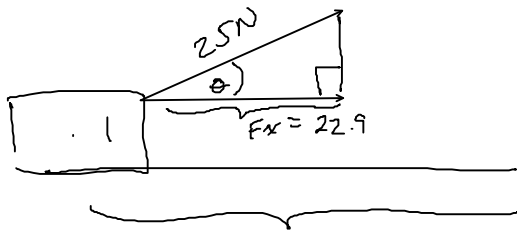
ex) An electric motor develops 65 kW of power as it lifts a loaded elevator 17.5 m in 35.0 s. How much force does the motor exert?

$$\bar{v} = \frac{17.5m}{35.0s} = 0.50 \frac{m}{s}$$

$$P = F \cdot \bar{v}$$

$$F = \frac{P}{\bar{v}} = \frac{65000 \text{ W}}{0.50 \text{ m/s}} = 130000 \text{ N}$$

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$$\underline{0.48 \text{ m}}$$

$$\underline{11 \text{ J}}$$

$$W = 11 \text{ J}$$

$$11 \text{ J} = F_x \cdot 0.48 \text{ m}$$

$$F_x = 22.9 \text{ N}$$

$$\theta = \cos^{-1} \left(\frac{26.1}{25} \right) = 24^\circ$$

Machines + efficiency

ex of simple machines

- wedges (inclines)
- levers (bottle openers) (bike pedals)
- wheels
- pulleys



when you use a bottle opener, what is actually happening?

you! are exerting a force on the lever (machine)
 the lever will turn around and exert a force on the bottle cap

Some textbooks will call the force you exert F_e or effort force, The force exerted by the machine is called resistance force F_r

Mechanical advantage of that machine is ~~so~~

$$M.A. = \frac{F_r}{F_e}$$

Many machines have a Mechanical advantage greater than 1

We can calculate MA of a machine based on our Idea of work
 $W_o = \text{work you get out}$

$$W_o = W_i$$

W_i = work you put in

In an Ideal machine (No such machine exists)

Using this information we can come up with

$$F_r d_r = F_e d_e$$

$$\frac{F_r}{F_e} = \frac{d_e}{d_r}$$

d_r - distance moved by the machine

d_e - distance moved by effort

Since

$$\frac{F_r}{F_e} = MA$$

$$\frac{d_e}{d_r} = IMA$$

(Ideal mechanical advantage)

$$\text{efficiency} = \frac{W_o}{W_i} \times 100\% \quad \text{or} \quad \frac{\text{Power out}}{\text{Power in}} \times 100\%$$

$$= \frac{F_r d_r}{F_e d_e} \times 100\%$$

$$\text{or} = \frac{\frac{F_r}{F_e}}{\frac{d_e}{d_r}} \times 100\%$$

$$\text{or} = \frac{MA}{IMA} \times 100\%$$

an efficient machine is one that has a ratio close to 1

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$$\text{Efficiency} = \frac{\text{Power out}}{\text{Power in}} = \frac{F \cdot d/t}{10,000 \text{ W}} = \frac{mg \bar{v}}{10,000 \text{ W}}$$

$$= \frac{(8.5 \times 10^2 \text{ kg})(9.8 \text{ m/s}^2)(1 \text{ m/s})}{10,000 \text{ W}} \times 100\%$$

$$= 83.3\% \text{ efficient}$$

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motor output 500 W

$$\text{Power gained} = (20)(9.8)\left(\frac{5.00}{3}\right)$$

$$\text{Efficiency} = \frac{\text{Power out}}{\text{Power in}}$$

$$= \frac{(20 \text{ kg})(9.8)\left(\frac{5}{3}\right)}{500 \text{ W}} \times 100\%$$

$$= 56\%$$

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$$\begin{aligned} \text{Power in} &= 100 \times 1000 \text{ W} \\ &= 1 \times 10^5 \text{ W} \end{aligned}$$

$$\text{efficiency } 82\%$$

$$\text{Power out} = .82 \times 1 \times 10^5 \text{ W}$$

$$\text{Eff} = \frac{\text{Power out}}{\text{Power in}}$$

$$m = 50 \text{ kg} \quad g = 9.8 \quad d = 8$$

$$= 8.2 \times 10^4 \text{ W} = F \cdot \frac{d}{t}$$

$$t = \frac{F \cdot d}{8.2 \cdot 10^4 \text{ W}}$$

$$= \frac{mg \cdot d}{8.2 \cdot 10^4 \text{ W}} = \frac{(50)(9.8)(8)}{8.2 \cdot 10^4 \text{ W}}$$

=

$$t = .05 \text{ s}$$

Mechanical advantage

ex) A sledge hammer is used to drive a wedge into a log to split it. The wedge is driven 20 cm into the log and the log is separated 5.0 cm. A force of $1.9 \times 10^4 \text{ N}$ is needed to split the log and the sledge hammer exerts a force of $9.8 \times 10^3 \text{ N}$.

find IMA of the wedge

$$\text{IMA} = \frac{d_e}{d_r} = \frac{20 \text{ cm}}{5 \text{ cm}} = 4.0$$

$$\text{find MA} = \frac{F_r}{F_e} = \frac{1.9 \times 10^4 \text{ N}}{9.8 \times 10^3 \text{ N}} = 1.9$$

$$\text{efficiency? } \frac{MA}{IMA} = \frac{1.9}{4} \times 100\% = 47\%$$

ex) A worker uses a pulley system to raise a 225 N box 16.5 m. A force of 129 N is exerted and the rope is ~~33 m~~ pulled 33.0 m

find MA = ?

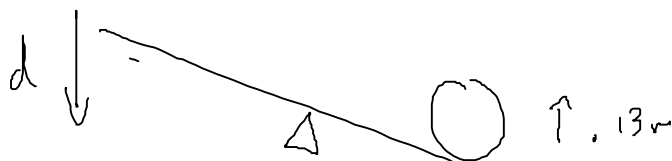
$$MA = \frac{F_R}{F_e} = \frac{225\text{ N}}{129\text{ N}} = 1.74$$

find efficiency?

$$IMA = \frac{d_e}{d_r} = \frac{33\text{ m}}{16.5} = 2.0$$

$$\text{Efficiency} = \frac{MA}{IMA} \times 100 = 87\%$$

ex A boy exerts a force of 225 N on a lever to raise a $1.25 \times 10^3\text{ N}$ rock a distance of .13 m. If the efficiency of the lever is ~~88.7%~~ 88.7% how far did the boy move his end of the lever.



$$E_{eff} = \frac{MA}{\Sigma MA}$$

$$\frac{.887}{1} = \frac{\frac{F_R}{F_e}}{\frac{d_e}{d_r}} = \frac{\frac{1.25 \times 10^3 \text{ N}}{225}}{\frac{d_e}{.13}} = .887$$

$$\frac{.887 \cdot d_e}{.13}$$

$$\frac{1.25 \times 10^3 \text{ N}}{225 \text{ N}} = \frac{.887}{.13} \cdot d_e$$

$$\frac{.887 \cdot d_e}{.13}$$

$$d_e = .81 \text{ m}$$

$$\frac{5.5}{6.82} = \frac{6.82}{6.82} \cdot d_e$$

H/O #17, 18, 20, 22, 27, 29, 30, 31, 34,

w/B ~~PS~~ PS 239 # 1-6

Hw PS 210 # 14-15 answers back

PS 215 #29-31 No answers